

Time resolved charge detection in electrostatically defined quantum dots in bilayer graphene

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Graphene is a promising candidate for future nano-electronic devices including building blocks for quantum information processing. Reasons for this include the expected long spin-lifetimes and high carrier mobilities. So far, these spin lifetimes could only be estimated with a lower bound experimentally. To obtain the spin-lifetime a device is needed that allows one to confine charges and to measure their dynamics in a time-resolved way simultaneously. This is possible with a charge detector in close proximity to a graphene quantum dot.

Here, we use bilayer graphene with its electrostatically induced band gap to fabricate a fully gate-defined device with quantum dots [1,2], one of which is used as a charge detector [3]. Since a quantum dot is nothing else but charges defined in zero dimensions it has discrete energy levels. Whenever one of the levels is aligned with the source and drain, a peak shaped conductance across the device can be measured. These conductance peaks are called Coulomb resonances and their exact position on a gate voltage axis depends on the surrounding electrostatics, hence also the charge state of a neighboring dot. The potential change due to single-electron charging causes a step-like change in the current through the charge detector. This detection signal allows us to confirm and investigate the dynamics of last electron/hole quantum dots. Furthermore, we can tune the tunnel barriers individually, such that the tunnel rates get low enough for time-resolved measurements of telegraph noise (see Fig. 1). In a multi-dot regime [4], the charge detection enables us to determine the number of charge carriers in each of the dots.

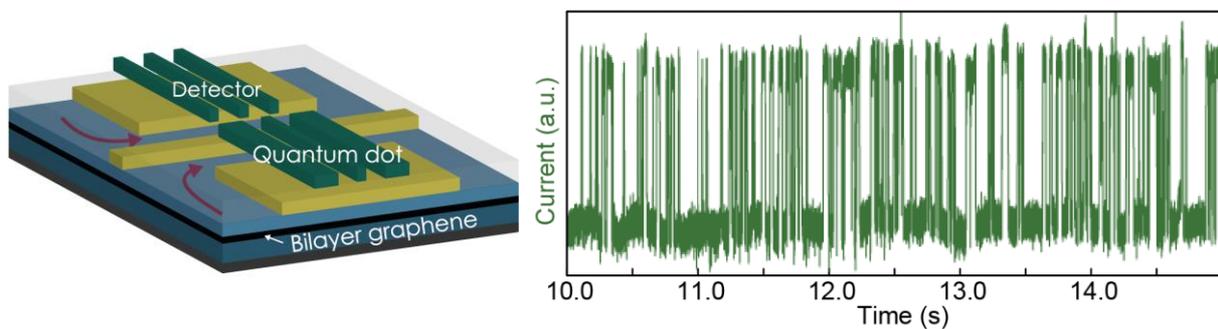


Fig. 1.: Left: Schematic of the different layers in the bilayer graphene device and an exemplary gate structure on top. Right: Time trace of the current measured through the detector corresponding to fluctuations of the charge of the dot between N and $N + 1$ electrons.